

ON THE STABILITY OF PGD REDUCED-ORDER MODELS FOR STRUCTURAL DYNAMICS APPLICATIONS

Clément Vella^{1*} and Serge Prudhomme²

¹ LaMCube (UMR 9013), Université de Lille, Avenue Paul Langevin, 59655 Villeneuve d'Ascq, France, clement.vella@univ-lille.fr

² Département de Mathématiques et de Génie Industriel, Polytechnique Montréal, C.P. 6079, succ. Centre-ville Montréal (Québec) Canada H3C 3A7, serge.prudhomme@polymtl.ca

Keywords: *Model Reduction, Proper-Generalized Decomposition, Hamiltonian Formulation, Symplectic Schemes*

The talk is concerned with the construction of proper-generalized decomposition formulations that preserve the structure and stability, such as the symplectic properties, of the original systems. The formulations are derived from the Hamiltonian formalism and will be shown to be more stable than classical approaches, e.g. [1]. The framework also allows one to define an optimization problem with constraints on the error in goal functionals in order to construct reduced models capable of delivering accurate approximation of quantities of interest [2]. Numerical examples dealing with the dynamical behavior of beam structures will be presented in order to demonstrate the efficiency of the proposed approach.

REFERENCES

- [1] L. Boucinha, A. Gravouil, and A. Ammar, Space-time proper generalized decompositions for the resolution of transient elastodynamic models, *Comput. Methods Appl. Mech. Engrg.*, Vol. **255**, pp. 67-88, 2013.
- [2] K. Kergrene, L. Chamoin, M. Laforest, and S. Prudhomme, On a goal-oriented version of the proper generalized decomposition method, *Journal of Scientific Computing*, Vol. **81**, pp. 92–111, 2019.